




The cryptographic hash function crisis and the SHA-3 competition

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Cryptography \neq security

- crypto is only a tiny piece of the security puzzle
 - but an important one
- most systems break elsewhere
 - incorrect requirements or specifications
 - implementation errors
 - application level
 - social engineering




Information processing

Everything is always connected everywhere

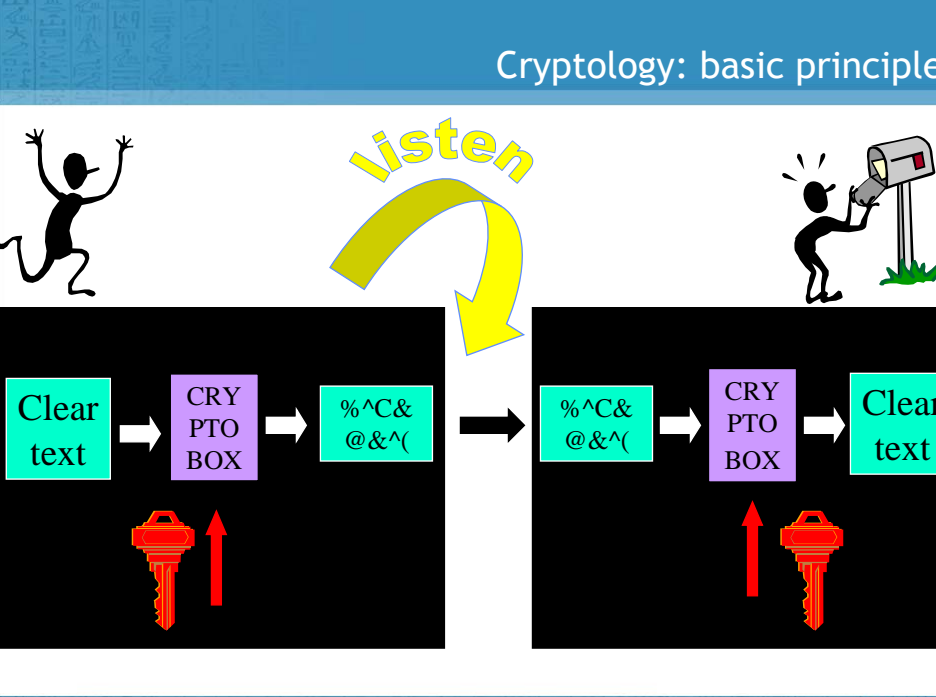


Continuum between software and hardware
ASIC (microcode) – FPGA – fully programmable processor

Cryptography everywhere

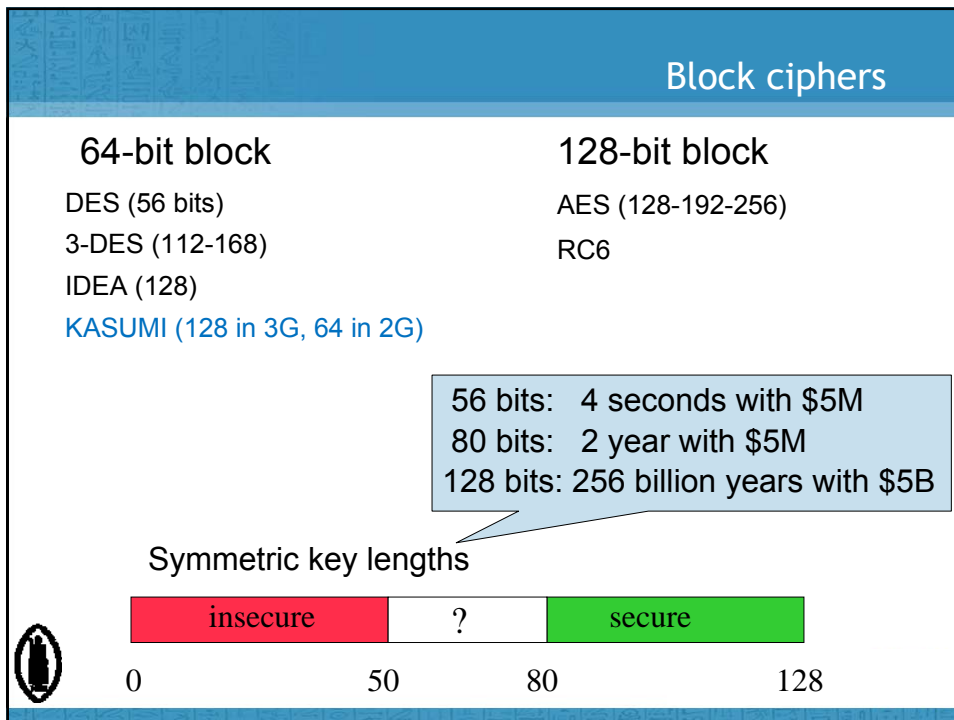
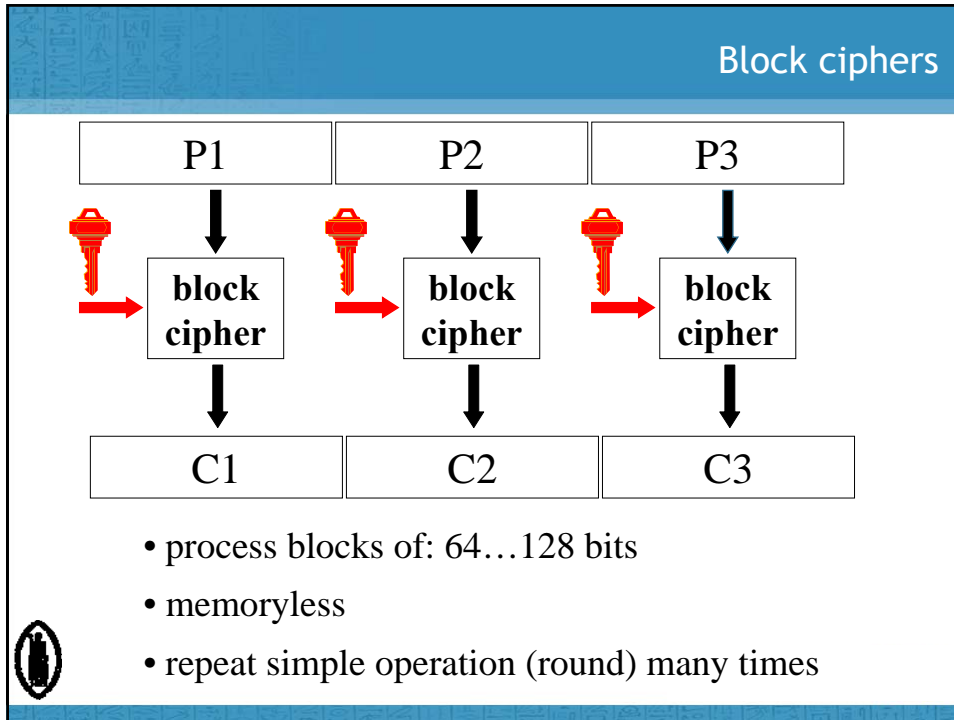


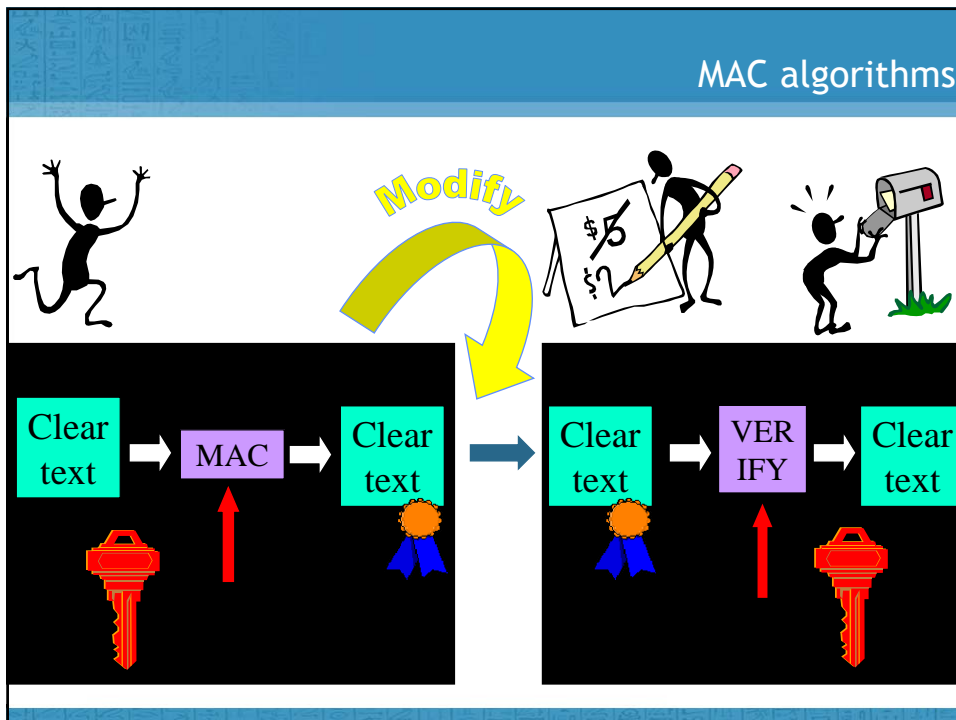
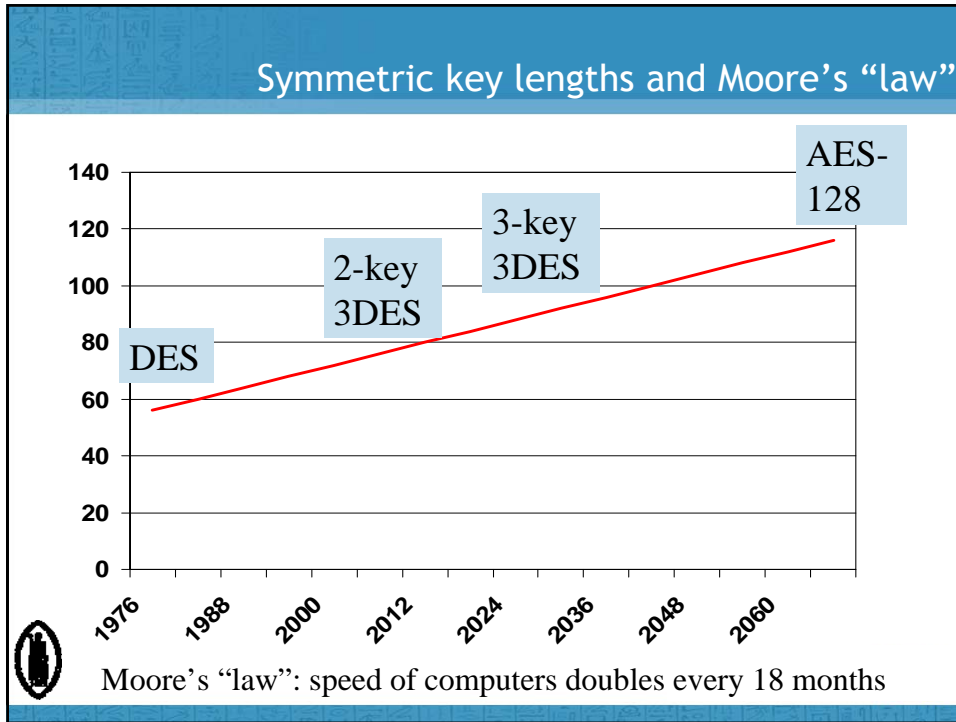
Cryptology: basic principles



Clear text → CRYPTO BOX → %^C& @&^(

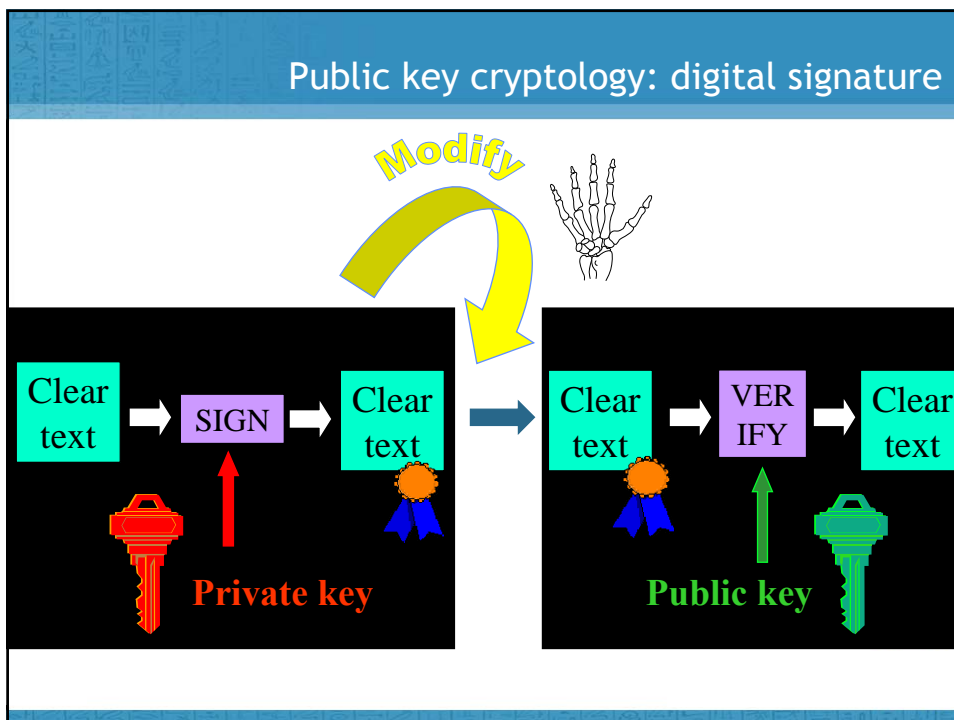

%^C& @&^(→ CRYPTO BOX → Clear text






MAC algorithms

- example schemes: CBC-MAC, HMAC
- result is 4-20 bytes
- same speed as block cipher/hash function
- requires shared secret to verify



Digital signatures

- example schemes: RSA, DSA, ECDSA
- result is 40-256 bytes
- much slower than a MAC algorithm
- requires no shared secret to verify
- but how do I sign a document that is 1 Mbyte?



Hash functions

X.509 Annex D
MDC-2
MD2, MD4, MD5
SHA-1

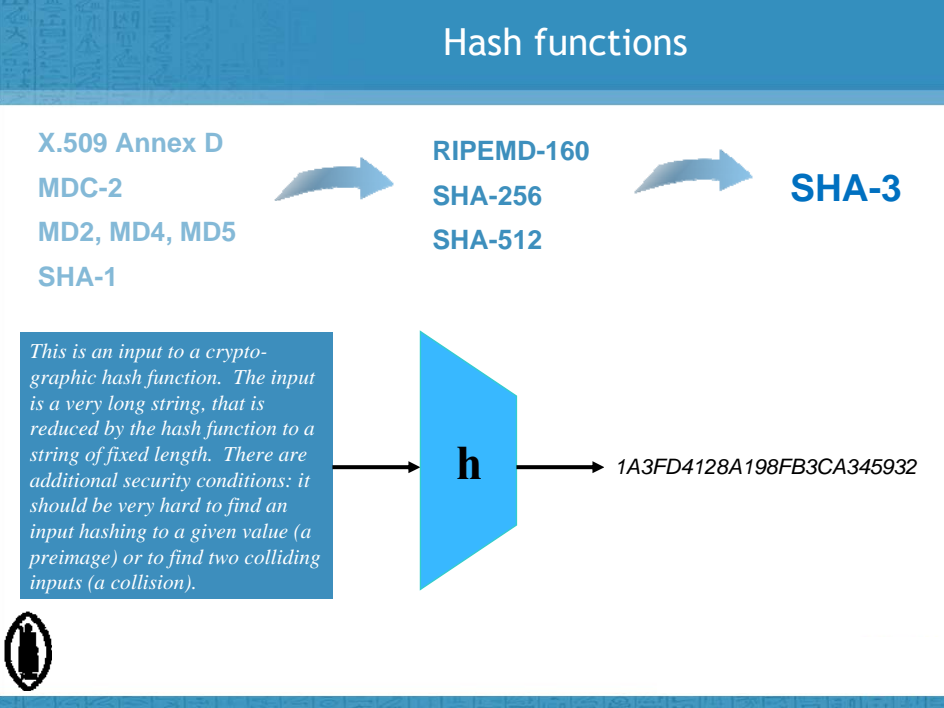
RIPEMD-160
SHA-256
SHA-512

SHA-3

This is an input to a cryptographic hash function. The input is a very long string, that is reduced by the hash function to a string of fixed length. There are additional security conditions: it should be very hard to find an input hashing to a given value (a preimage) or to find two colliding inputs (a collision).


h

1A3FD4128A198FB3CA345932



Agenda

- Definitions
- Iterations (modes)
- Compression functions
- SHA-{0,1,2}
- SHA-3 Bits and bytes




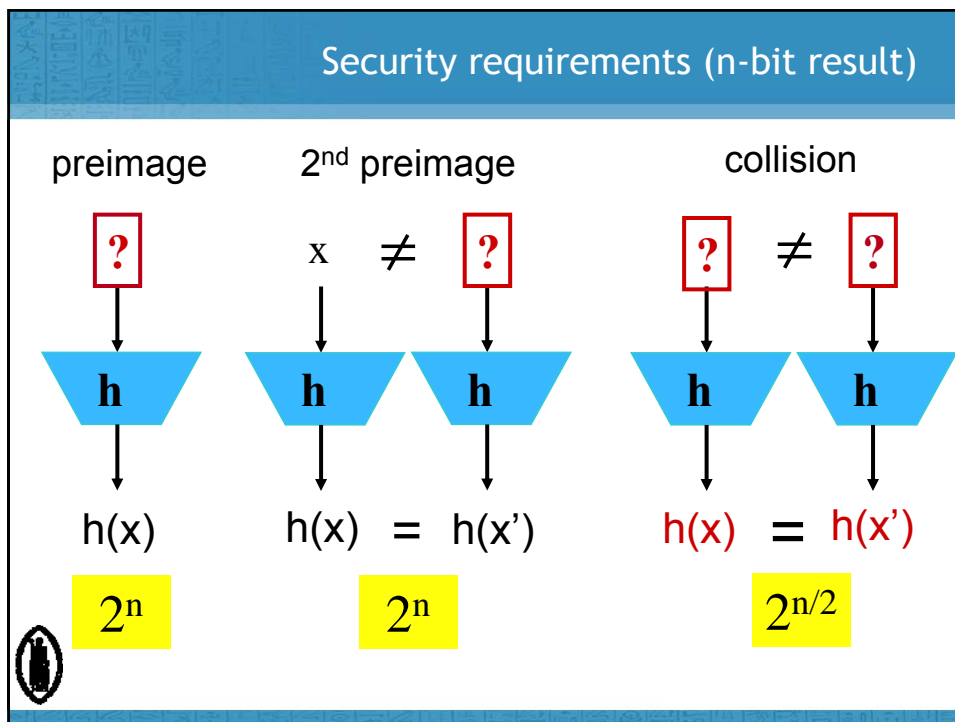
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Hash function flavors


cryptographic hash function

```
graph TD; A[cryptographic hash function] --> B[MAC]; A --> C[MDC]; C --> D[OWHF]; C --> E[UOWHF (TCR)]; C --> F[CRHF]; G[this talk] --> C;
```





- ### Informal definitions (1)
- no secret parameters
 - input string x of arbitrary length \Rightarrow output $h(x)$ of fixed bitlength n
 - computation “easy”

 - One Way Hash Function (OWHF)
 - preimage resistance
 - 2nd preimage resistance
 - Collision Resistant Hash Function (CRHF): OWHF +
 - collision resistant
- 

Preimage resistance

preimage

h

$h(x)$

2^n

- in a password file, one does not store
 - (username, password)
- but
 - (username, hash(password))
- this is sufficient to verify a password
- an attacker with access to the password file has to find a preimage

Second preimage resistance

2nd preimage

$x \neq$ $?$

h h

$h(x) = h(x')$

2^n

- transmit x over a fast but insecure channel
- transmit $h(x)$ over a slow but authenticated channel (e.g., read it over the phone)
- an attacker has access to x but he can only fool the recipient if he finds a second preimage of x
- another example:
 - compute a hash of the files on a USB stick before you lend it to your friend
 - you can write down the hash value

Collision resistance (1/2)

- hacker Alice prepares two versions of a software driver for the O/S company Bob
 - x is correct code
 - x' contains a backdoor that gives Alice access to the machine
- Alice submits x for inspection to Bob
- if Bob is satisfied, he digitally signs $h(x)$ with his private key
- Alice now distributes x' to users of the O/S; these users verify the signature with Bob's public key
- this signature works for x and for x' , since $h(x) = h(x')$!

collision

$x \neq x'$

h h

$h(x) = h(x')$

$2^{n/2}$

Collision resistance (2/2)

- in many cryptographic protocols, Alice wants to commit to a value x without revealing it
- Alice picks a secret random string r and sends $y = h(x || r)$ to Bob
- in a later phase of the protocol, Alice reveals x and r to Bob and he checks that y is correct
- if Alice can find a **collision**, that is (x,r) and (x',r') with $x' \neq x$ she can cheat
- if Bob can find a **preimage**, he can learn x and cheat

collision

$x \neq x'$

h h

$h(x) = h(x')$

$2^{n/2}$

Relation between definitions (informal!)

- preimage resistant $\not\Rightarrow$ 2nd preimage resistant
 - take a preimage resistant hash function; add an input bit b and replace one input bit by the sum modulo 2 of this input bit and b

$$\begin{array}{c} X_0 \cdots X_{m-2} \\ \xrightarrow{\hspace{2cm}} \\ X_{m-1} \end{array} \rightarrow \boxed{h}$$

$$\begin{array}{c} X_0 \cdots X_{m-2} \\ \xrightarrow{\hspace{2cm}} \\ X_{m-1} \oplus X_m \end{array} \rightarrow \boxed{h}$$

- 2nd preimage resistant $\not\Rightarrow$ preimage resistant
 - if h is OWHF, \underline{h} is 2nd preimage resistant but not preimage resistant:

$$\underline{h}(x) = \begin{array}{ll} 0 \parallel x & \text{if } |x| \leq n \\ 1 \parallel h(x) & \text{otherwise} \end{array}$$
- collision resistant \Rightarrow 2nd preimage resistant

Brute force (2nd) preimage

- **multiple target second preimage (1 out of many):**
 if one can attack 2^t simultaneous targets, the effort to find a single preimage is 2^{n-t}
- **multiple target second preimage (many out of many):**
 - time-memory trade-off with $\Theta(2^n)$ precomputation and storage $\Theta(2^{2n/3})$
 time per (2nd) preimage: $\Theta(2^{2n/3})$ [Hellman'80]
 - full cost per (2nd) preimage from $\Theta(2^n)$ to $\Theta(2^{2n/5})$ [Wiener'02]
 (if $\Theta(2^{3n/5})$ targets are attacked)
- **answer: randomize hash function with a parameter S (salt, key, spice,...)**

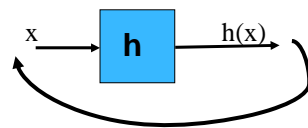
The birthday paradox

- given a set with S elements
- choose r elements at random (with replacements) with $r \ll S$
- the probability p that there are at least 2 equal elements (a collision) $\cong 1 - \exp(-r(r-1)/2S)$
- more precisely, it can be shown that
 - $p \geq 1 - \exp(-r(r-1)/2S)$
 - if $r < \sqrt{2S}$ then $p \geq 0.6 r(r-1)/2S$

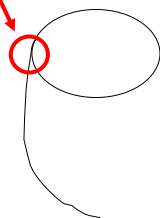


Brute force collision search

- Consider the functional graph of h

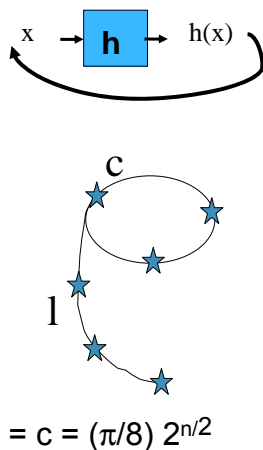


collision



Brute force collision search

- low memory and parallel implementation of the birthday attack [Pollard'78][Quisquater'89][Wiener-van Oorschot'94]
- distinguished point (d bits)
 - $\Theta(e2^{n/2} + e2^{d+1})$ steps with e the cost of one function evaluation
 - $\Theta(n2^{n/2-d})$ memory
 - full cost: $\Theta(e n2^{n/2})$ [Wiener'02]



The diagram shows a hash function h taking input x and producing output $h(x)$. Below it, a path of stars represents a search space. A path of length l leads to a distinguished point c , which then loops back to a point on the path, forming a cycle. The equation $l = c = (\pi/8) 2^{n/2}$ is shown below the path.

Brute force attacks in practice

- (2^{nd}) preimage search
 - $n = 128$: 23 B\$ for 1 year if one can attack 2^{40} targets in parallel
- parallel collision search with low memory
 - $n = 128$: 1 M\$ for 8 hours (or 1 year on 100K PCs)
 - $n = 160$: 90 M\$ for 1 year
 - need 256-bit result for long term security (30 years or more)

Quantum computers

- in principle exponential parallelism
- inverting a one-way function: 2^n reduced to $2^{n/2}$ [Grover'96]
- collision search:
 - $2^{n/3}$ computation + hardware [Brassard-Hoyer-Tapp'98]
 - [Bernstein'09] classical collision search requires $2^{n/4}$ computation and hardware (= standard cost of $2^{n/2}$)



Collision resistance

- **hard to achieve in practice**
 - many attacks
 - requires double output length $2^{n/2}$ versus 2^n
- **hard to achieve in theory**
 - [Simon'98] one cannot derive collision resistance from “general” preimage resistance (there exists no black box reduction)
- **hard to bypass:**
 - UOWHF (TCR, eSec) **randomize** hash function after choosing the message [Naor-Yung'89]
 - how to enforce this in practice?
 - randomized hashing: RMX mode [Halevi-Krawczyk'05]
 $H(r \parallel x_1 \oplus r \parallel x_2 \oplus r \parallel \dots \parallel x_t \oplus r)$
 - needs e-SPR (not met by MD5)
 - issues with **insider attacks** (i.e. attacks by the signer)



Formalizing the definitions is tricky

- for collision resistance: formalization requires a family of functions indexed by a parameter S
 - alternatively, one can formalize human ignorance [Stinson'06], [Rogaway'06]
- for (2nd) preimage resistance, one can choose the challenge (x) and/or the key (S) that selects the function. This gives three flavors [Rogaway-Shrimpton'04]:
 - random challenge, random key (Pre and Sec)
 - random key, fixed challenge (ePre and eSec - everywhere)
(eSec=UOWHF)
 - fixed key, random challenge (aPre and aSec - always)
- can an attacker use $S' \neq S$?
- complex relationship (see figure on next slide)

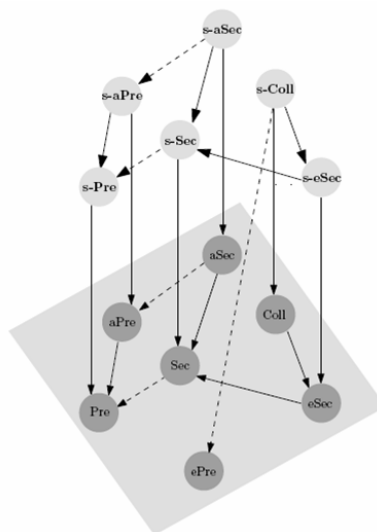


Relation between properties

[Rogaway-Shrimpton'04]

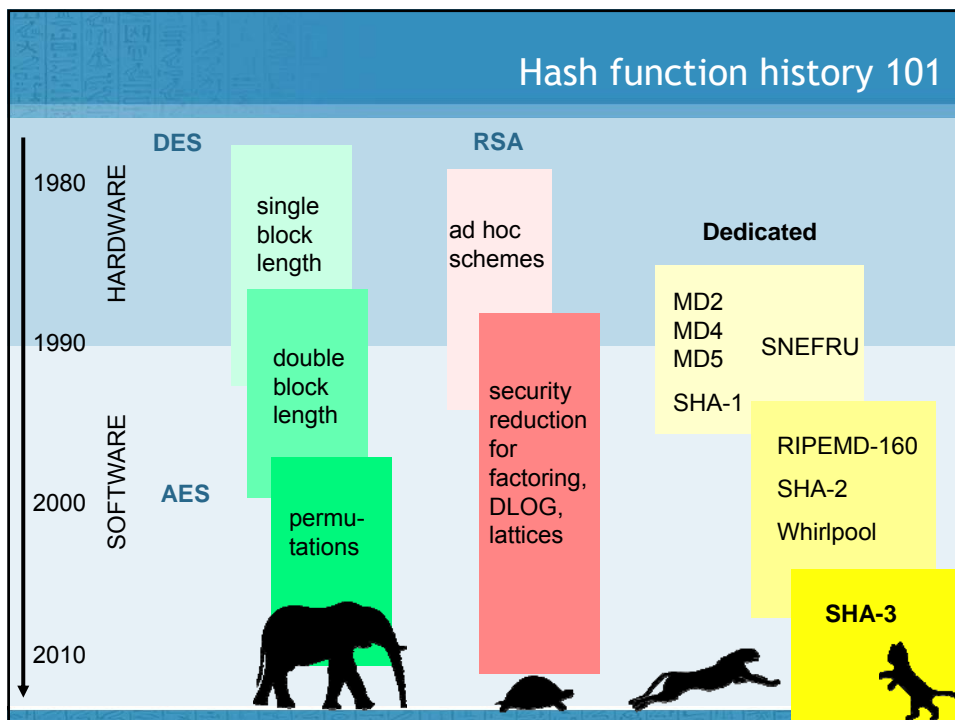

[Stinson'06]

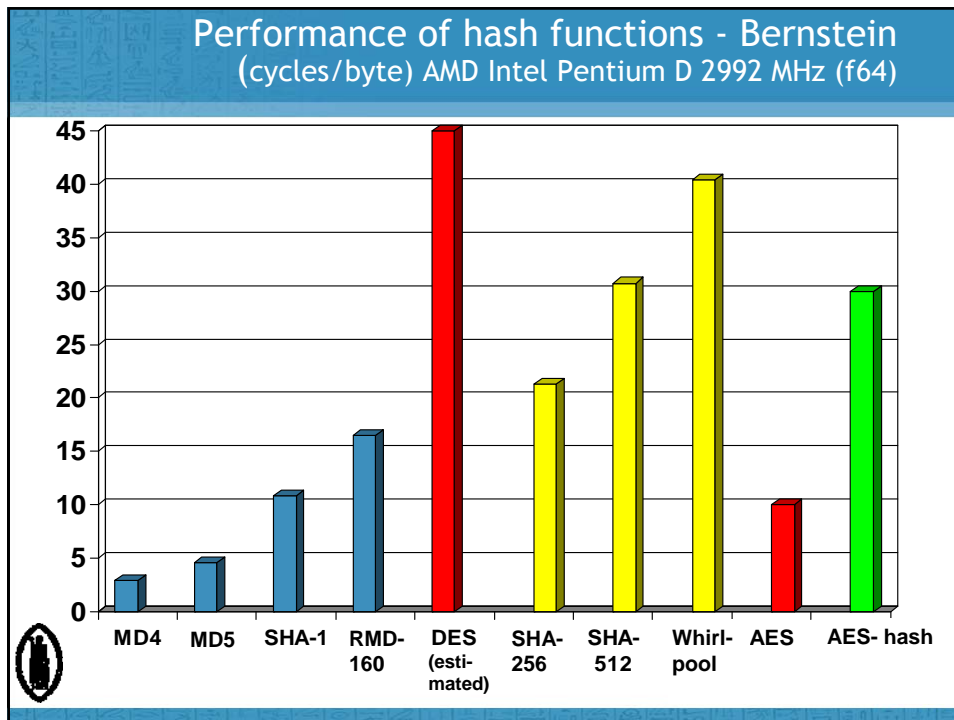
[Reyhanitabar-Susilo-Mu'10]



Properties in practice

- collision resistance is not always necessary
- other properties are needed:
 - pseudo-randomness if keyed (with secret key)
 - pseudo-random oracle property
 - near-collision resistance
 - partial preimage resistance
 - multiplication freeness
- how to formalize these requirements and the relation between them?





- ### Applications
- protection of passwords
 - data authentication
 - digital signatures
 - confirmation of knowledge/commitment
 - micropayments

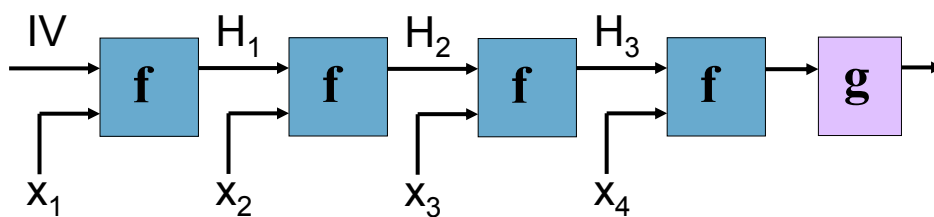
 - pseudo-random string generation/key derivation
 - construction of MAC algorithms, stream ciphers, block ciphers,...

Iteration

(mode of compression function)

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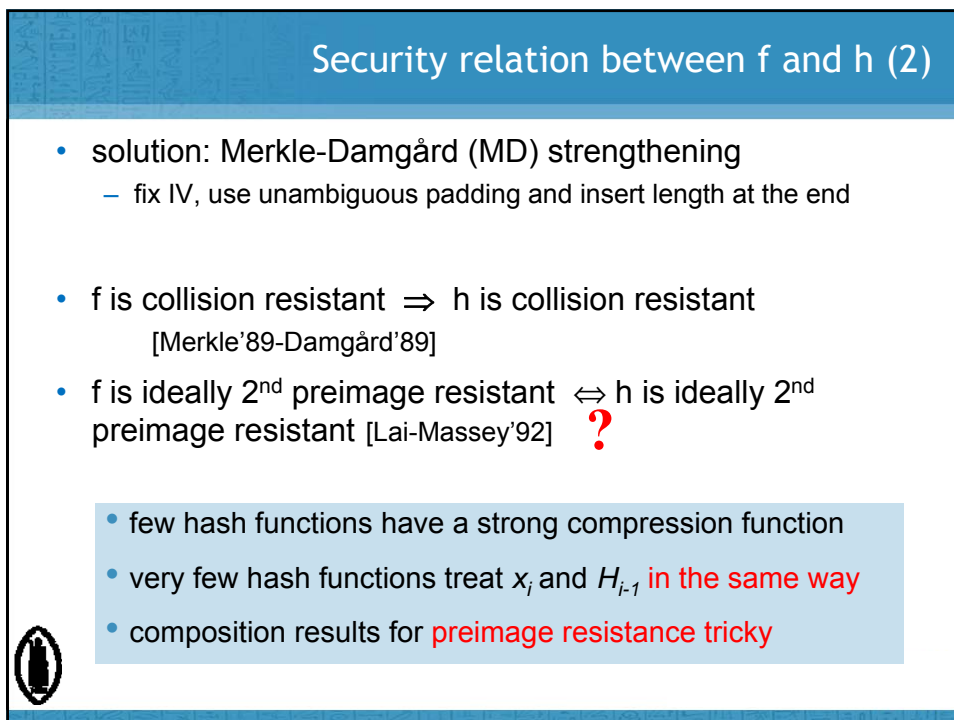
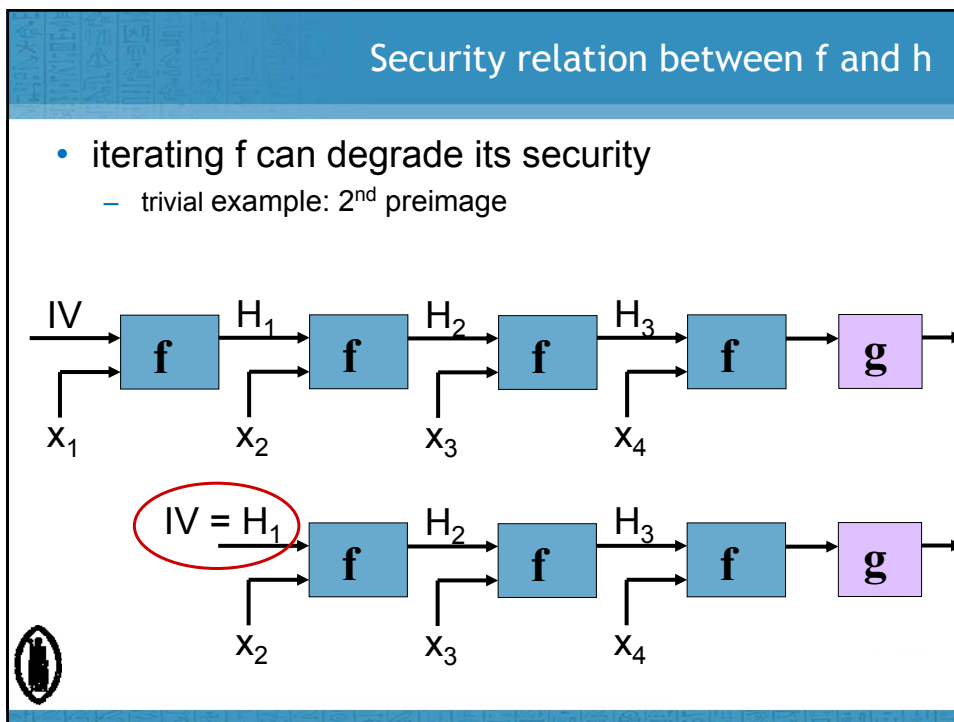
Hash function: iterated structure



split messages into blocks of fixed length and hash them block by block with a compression function f

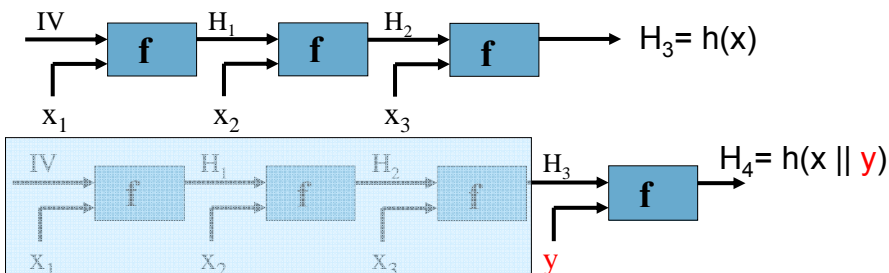
efficient and elegant
but ...



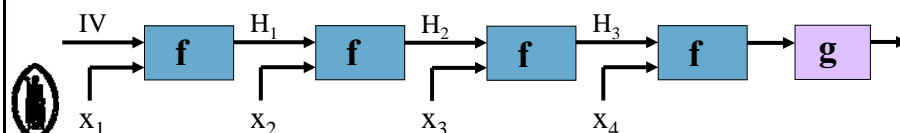


Security relation between f and h (3)

length extension: if one knows $h(x)$, easy to compute $h(x || y)$ without knowing x



Solution: output transformation



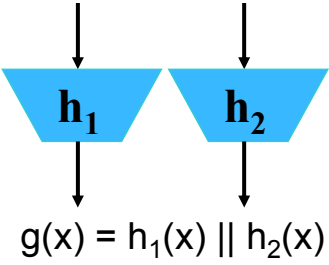
Some attacks on MD: 1999-2005

- multi-collision attack and impact on concatenation [Joux'04]
 - the concatenation of 2 iterated hash functions ($g(x) = h_1(x) || h_2(x)$) is as most as strong as the strongest of the two (even if both are independent)
- long message 2^{nd} preimage attack [Dean-Felten-Hu'99], [Kelsey-Schneier'05]
 - if one hashes 2^t message blocks with an iterated hash function, the effort to find a second preimage is only $2^{n-t+1} + t 2^{n/2+1}$
 - appending the length does not help here!




How (NOT) to strengthen a hash function? [Joux'04]

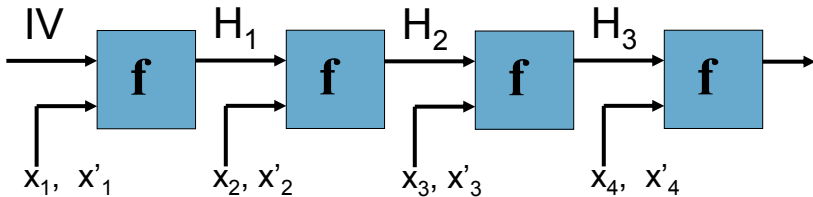
- answer: concatenation
- h_1 (n_1 -bit result) and h_2 (n_2 -bit result)
- intuition: the strength of g against collision/ 2^{nd} preimage attacks is the product of the strength of h_1 and h_2
 - if both are “independent”
- but....



$g(x) = h_1(x) \parallel h_2(x)$




Multi-collisions [Joux '04]



- for IV: collision for block 1: x_1, x'_1
- for H_1 : collision for block 2: x_2, x'_2
- for H_2 : collision for block 3: x_3, x'_3
- for H_3 : collision for block 4: x_4, x'_4

• now $h(x_1 \parallel x_2 \parallel x_3 \parallel x_4) = h(x'_1 \parallel x_2 \parallel x_3 \parallel x_4) = h(x'_1 \parallel x'_2 \parallel x_3 \parallel x_4) = \dots$
 $= h(x'_1 \parallel x'_2 \parallel x'_3 \parallel x'_4)$ **a 16-fold collision**



How (NOT) to strengthen a hash function? [Joux'04]

- h_1 (n_1 -bit result) and h_2 (n_2 -bit result)
- find a $2^{n_2/2}$ -fold multi-collision for h_1 , that is, a huge set of messages that map to the same value under h_1
- by the birthday paradox, with high probability two of the values in this set will collide under h_2
- cost
 - computation $n_2 \cdot 2^{n_1/2} + 2^{n_2/2}$
 - memory $2^{n_2/2}$

$g(x) = h_1(x) \parallel h_2(x)$

Formal results [Joux '04]


consider h_1 (n_1 -bit result) and h_2 (n_2 -bit result), with $n_2 \geq n_1$.
 concatenation of 2 iterated hash functions ($g(x) = h_1(x) \parallel h_2(x)$)
 is **as most as strong as the strongest** of the two (even if both are independent)

- cost of collision attack against g at most


$$n_2 \cdot 2^{n_1/2} + 2^{n_2/2} \ll 2^{(n_1 + n_2)/2}$$
- cost of (2nd) preimage attack against g at most

$$n_2 \cdot 2^{n_1/2} + 2^{n_1} + 2^{n_2} \ll 2^{n_1 + n_2}$$
- if either of the functions is weak, the attacks may work better

Summary

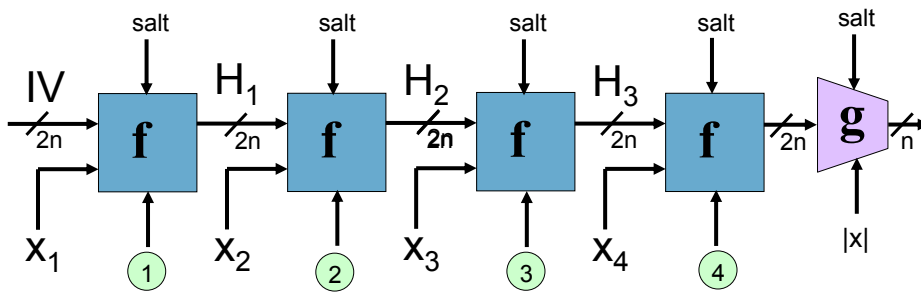


The image illustrates a transition from a complex, multi-tool Swiss Army knife to a simple, single-bladed knife. This visual metaphor represents the simplification of cryptographic hash functions, moving away from complex, multi-layered constructions towards simpler, more secure designs.




Improving MD iteration

salt + output transformation + counter + wide pipe



The diagram illustrates a sequence of four function blocks f and a final block g . Each f block takes an input X_i and a 'salt' value and produces an output H_i . The outputs H_1, H_2, H_3, H_4 are concatenated to form the input for block g , which also takes a 'salt' value and produces an output of length n .

security reductions well understood
many more results on property preservation



Improving MD iteration

- degradation with use: salting (family of functions, randomization)
- extension attack + PRO preservation: strong output transformation g (which includes total length and salt)
- long message 2^{nd} preimage: preclude fix points
 - counter $f \rightarrow f_i$ [Biham-Dunkelman]
- multi-collisions, herding: avoid breakdown at $2^{n/2}$ with larger internal memory: known as wide pipe
 - e.g., extended MD4, RIPEMD, [Lucks'05]



Compression functions

Block cipher (E_K) based


Davies-Meyer

```
graph LR
    xi[x_i] --> E[E]
    Hi_1[H_{i-1}] --> E
    E --> XOR((⊕))
    xi --> XOR
    XOR --> Hi[H_i]
```

Miyaguchi-Preneel


```
graph LR
    xi[x_i] --> E[E]
    Hi_1[H_{i-1}] --> E
    E --> XOR((⊕))
    Hi_1 --> XOR
    XOR --> Hi[H_i]
```

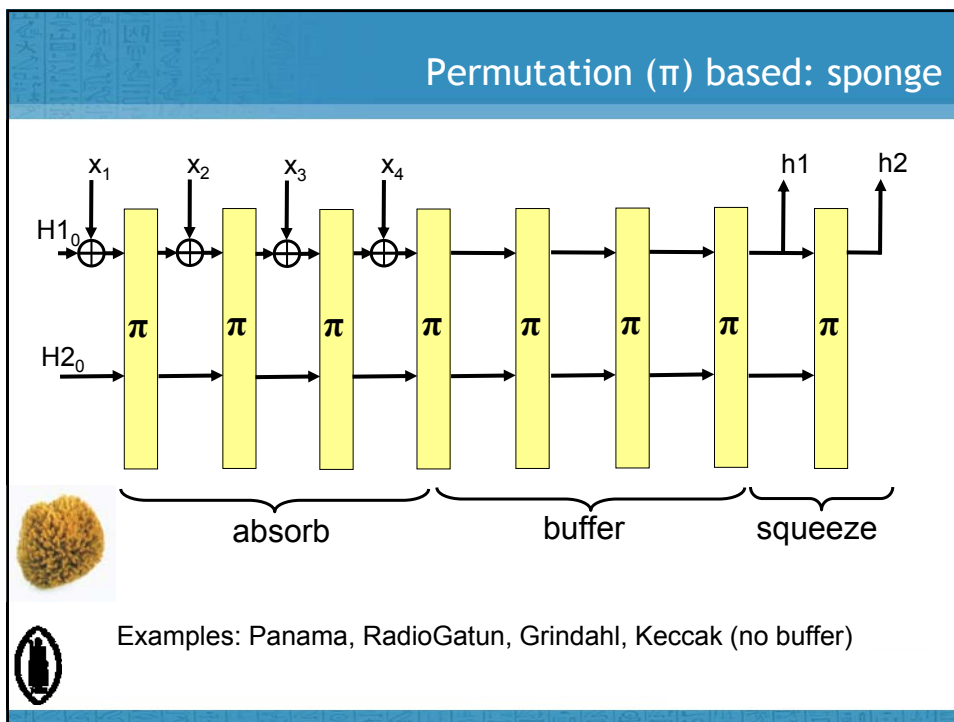
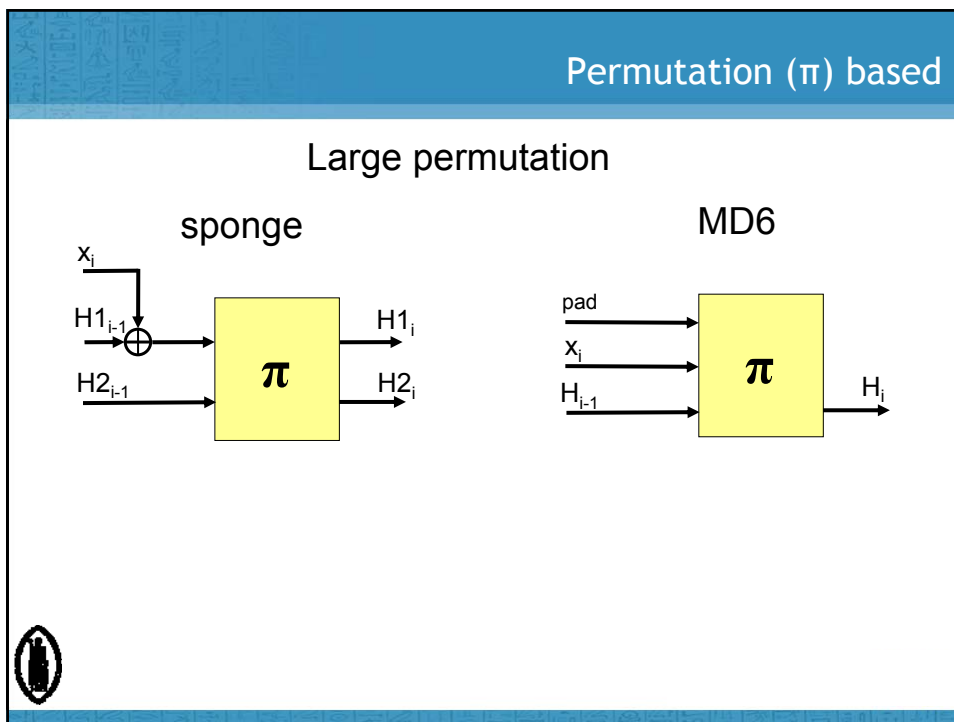
- output length = block length
- 12 secure compression functions (in ideal cipher model)
- requires 1 key schedule per encryption

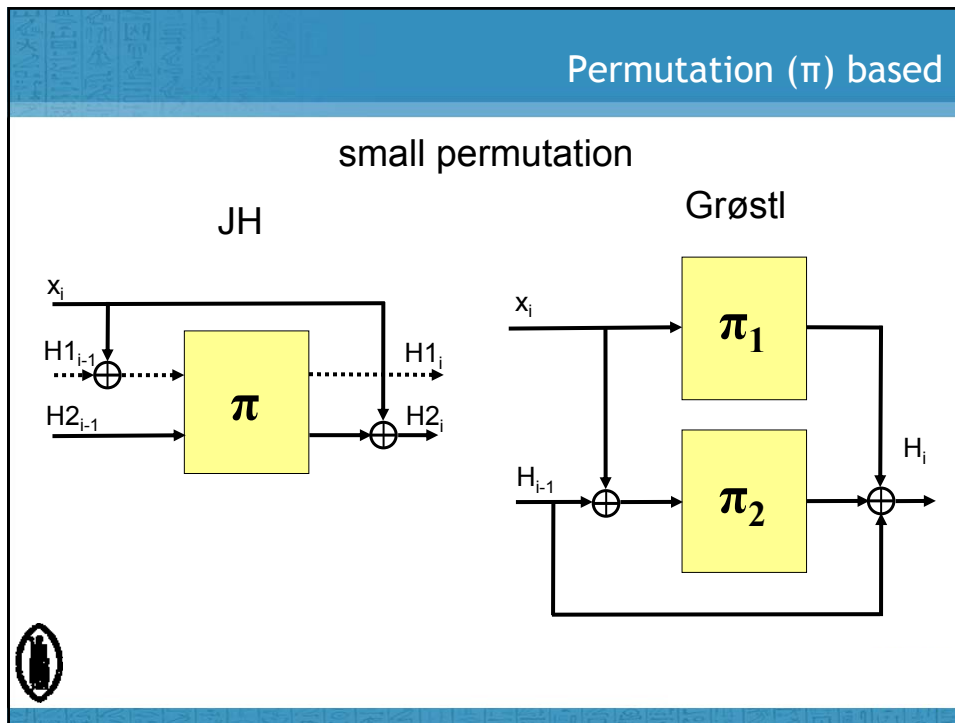


Block cipher (E_K) based

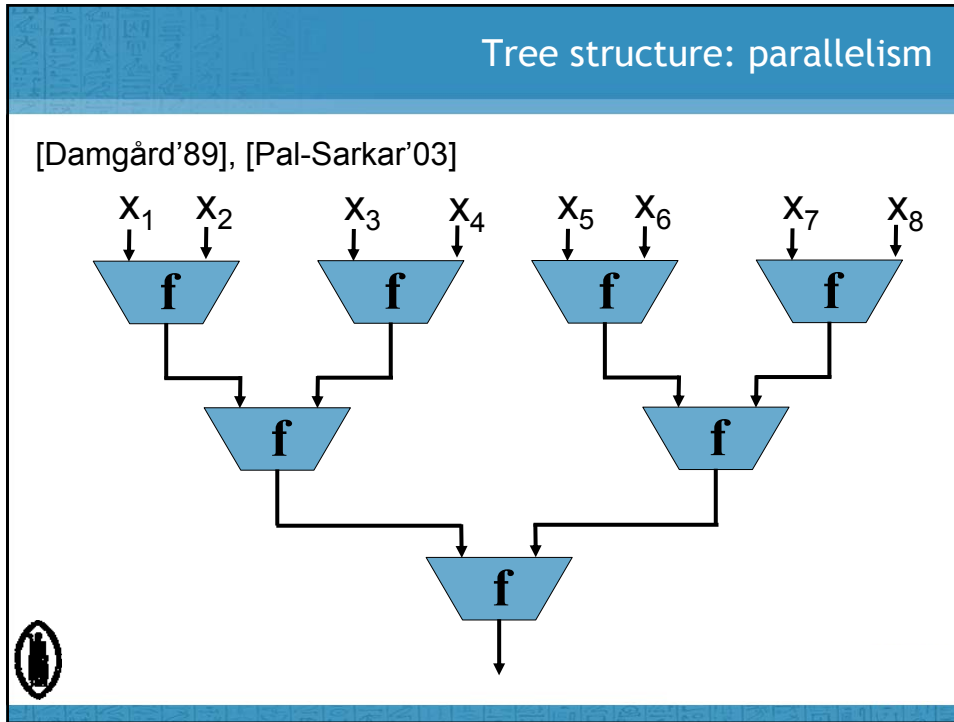
- which assumptions are needed on the block cipher E to prove MD iterated Davies-Meyer secure?
 - standard model: no security results (PRF/PRP is not sufficient)
 - ideal cipher model: ok to prove collision resistance and (second) preimage resistance
 - can this be relaxed?
 - not PRO preserving (length extension problem)
 - PRA preserving





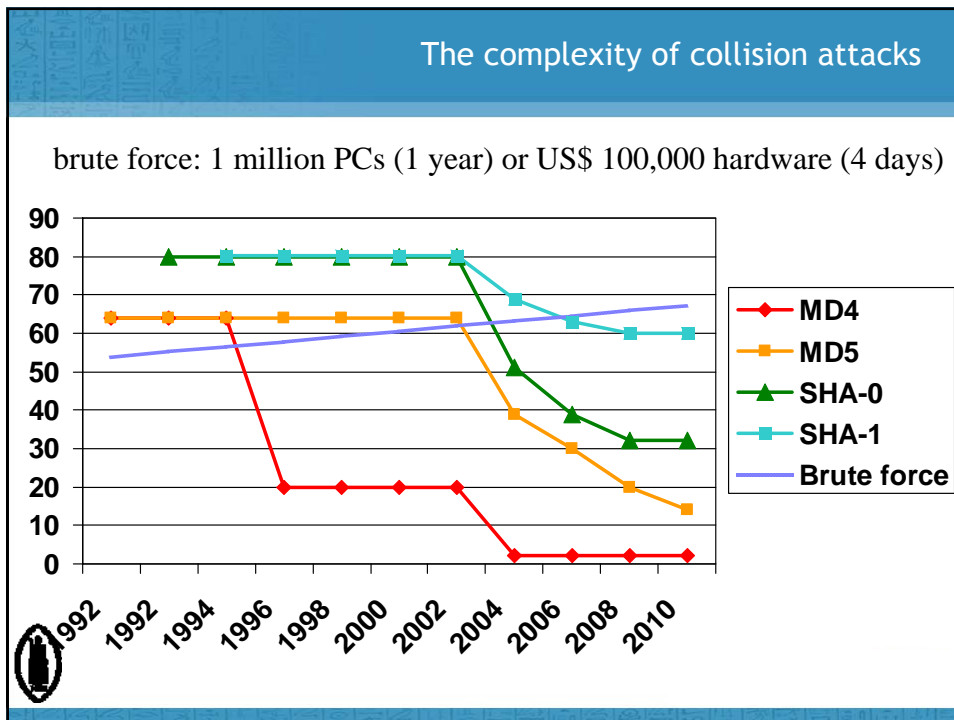
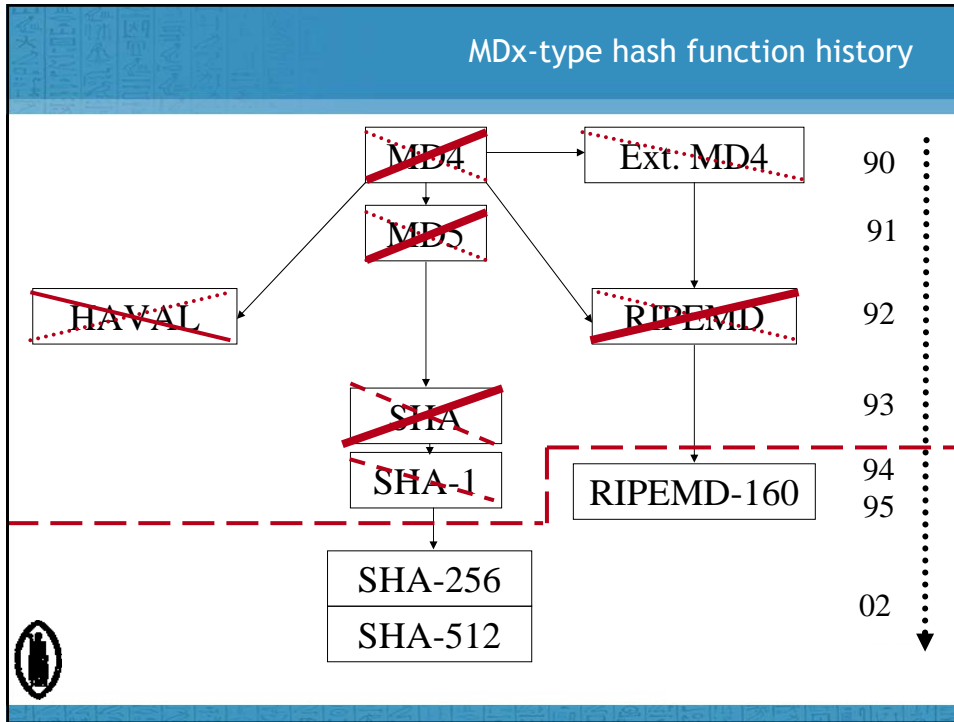


- ### Iteration modes
- security of simple modes well understood
 - powerful tools available
 - analysis of slightly more complex schemes very difficult
 - which properties are meaningful?
 - which properties are preserved?
 - MD versus sponge is still open debate



SHA- $\{0,1,2\}$

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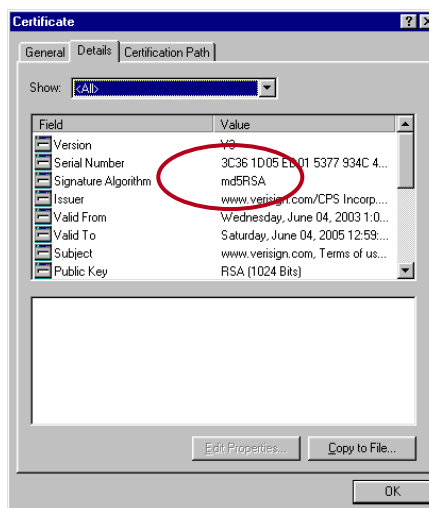
MD5 [Rivest'91]

- 4 rounds (64 steps)
- pseudo-collisions [denBoer-Bosselaers'93]
- collisions for compression function [Dobbertin'96]
- collisions for hash function
 - [Wang+'04] – 15 minutes
 - ...
 - [Stevens+'09] – milliseconds
 - brute force (2^{64}): 1M\$ 8 hours in 2010
- 2nd preimage in 2^{123} [Sasaki-Aoki'09]



MD5

- advice (RIPE since '92, RSA since '96): **stop using MD5**
- largely ignored by industry until 2009 (click on a cert...)


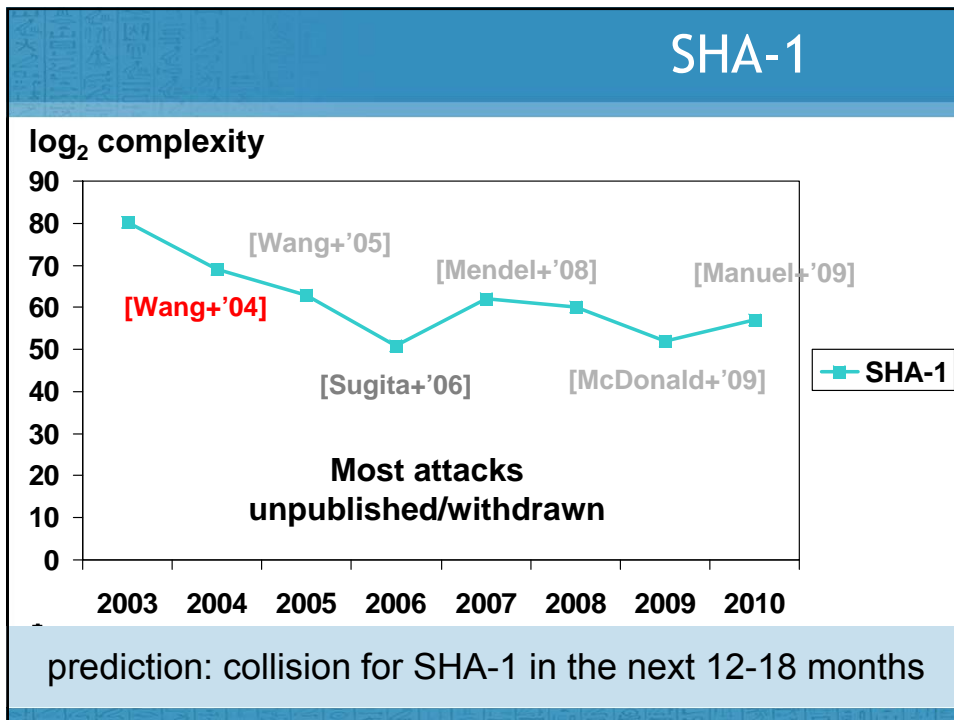


SHA-1 [NIST'95]

- fix to SHA-0
- add rotation to message expansion: quasicyclic code, $d_{\min} = 25$
 $w_j \leftarrow (w_{j-3} \oplus w_{j-8} \oplus w_{j-14} \oplus w_{j-16}) \ggg 1 \quad j > 15$
 - 53 steps [Oswald-Rijmen'04 and Biham-Chen'04]
 - 58 steps [Wang+'05]
 - 64 steps in 2^{35} – highly structured [De Cannière-Rechberger'06-'07]:
 - 70 steps in 2^{44} – highly structured [De Cannière-Rechberger'06-'07]:
 - 70 steps 2^{39} (4 days on a PC) [Joux-Peyrin'07]
 - 2^{69} [Wang+'05]
 - 2^{63} ? [Wang+'05 - unpublished]
 - 2^{51} ? [Sugita+'06]
 - 2^{62} ? [Mendel+'08 - unpublished]
 - 2^{52} ?? [McDonald+'09 - unpublished]

preimages for 48/80 steps in $2^{160-\epsilon}$ [Aoki-Sasaki'09]

collisions

NIST and SHA-1

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NIST's Policy on Hash Functions
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Second Workshop
Aug 24-25, 2006

NIST's Policy on Hash Functions

March 15, 2006: **The SHA-2 family of hash functions (i.e., SHA-224, SHA-256, SHA-384 and SHA-512) may be used by Federal agencies for all applications using secure hash algorithms.** Federal agencies should stop using SHA-1 for digital signatures, digital time stamping and other applications that require collision resistance as soon as practical, and must use the SHA-2 family of hash functions for these applications after 2010. After 2010, Federal agencies may use SHA-1 only for the following applications: hash-based message authentication codes (HMACs); key derivation functions (KDFs); and random number generators (RNGs). Regardless of use, NIST encourages application and protocol designers to use the SHA-2 family of hash functions for all new applications and protocols.

Impact of collisions

- collisions for MD5, SHA-0, SHA-1
 - 2 messages differ in a few bits in 1 to 3 512-bit input blocks
 - limited control over message bits in these blocks
 - but arbitrary choice of bits before and after them

- what is achievable for MD5?
 - 2 colliding executables/postscript/gif/... [Lucks-Daum'05]
 - 2 colliding RSA public keys – thus with colliding X.509 certificates [Lenstra+'04]
 - chosen prefix attack: different IDs, same certificate [Stevens+'07]
 - **2 arbitrary colliding files (no constraints) in 8 hours for 1 M\$**

Rogue CA attack

[Sotirov-Stevens-Appelbaum-Lenstra-Molnar-Osvik-de Weger '08]

- request user cert; by special collision this results in a fake CA cert (need to predict serial number + validity period)

impact: **rogue CA** that can issue certs that are trusted by all browsers

```
graph TD; Root[Self-signed root key] --> CA1[CA1]; Root --> CA2[CA2]; Root --> Rogue[Rogue CA]; CA1 --> User1[User1]; CA2 --> User2[User2]; Rogue --> UserX[User x];
```


- 6 CAs have issued certificates signed with MD5 in 2008:
 - Rapid SSL, Free SSL (free trial certificates offered by RapidSSL), TC TrustCenter AG, RSA Data Security, Verisign.co.jp

Impact of MD5 collisions

- digital signatures: only an issue if for **non-repudiation**
- none** for signatures computed before attacks were public (1 August 2004)
- ~~**none** for certificates if public keys are generated at random in a controlled environment~~
- substantial** for signatures after 1 August 2005 (cf. traffic tickets in Australia)

And (2nd) preimages?

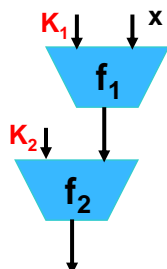
- security degrades with number of applications
- for large messages even with the number of blocks (cf. supra)
- specific results:
 - MD2: 2^{73} [Knudsen+09]
 - MD4: 2^{102} [Leurent'08]
 - MD5: 2^{123} [Sasaki-Aoki'09]
 - SHA-0: 52 of 80 steps in $2^{156.6}$ [Aoki-Sasaki'09]
 - SHA-1: 48 of 80 steps in $2^{159.3}$ [Aoki-Sasaki'09]




HMAC

- HMAC keys through the IV (plaintext)
 - collisions for MD5 invalidate current security proof of HMAC-MD5


	Rounds in f2	Rounds in f1	Data complexity
MD4	48	48	2^{72} CP + 2^{77} time
MD5	64	33 of 64	$2^{126.1}$ CP
MD5	64	64	2^{51} CP & 2^{100} time (RK)
SHA-0	80	80	2^{109} CP
SHA-1	80	53 of 80	$2^{98.5}$ CP






Upgrades

- RIPEMD-160 is good replacement for SHA-1
- upgrading algorithms is always hard
- TLS uses MD5 || SHA-1 to protect algorithm negotiation (up to v1.1)
- **upgrading negotiation algorithm is even harder: need to upgrade TLS 1.1 to TLS 1.2**



SHA-2 [NIST'02]

- SHA-224, SHA-256, SHA-384, SHA-512
 - non-linear message expansion
 - more complex operations
 - 64/80 steps
 - SHA-384 and SHA-512: 64-bit architectures
- SHA-256 collisions: 24/64 steps [Sanadhya-Sarkar'08]
- SHA-256 preimages: **43/64 steps** [Aoki+'09]
- implementations today faster than anticipated
- adoption
 - industry may migrate to SHA-2 by 2011 or may wait for SHA-3
 - very slow for TLS/IPsec (no pressing need)

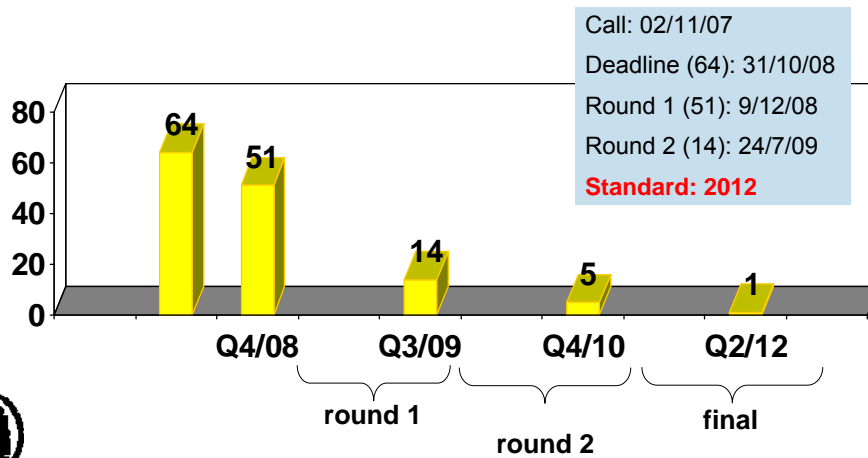


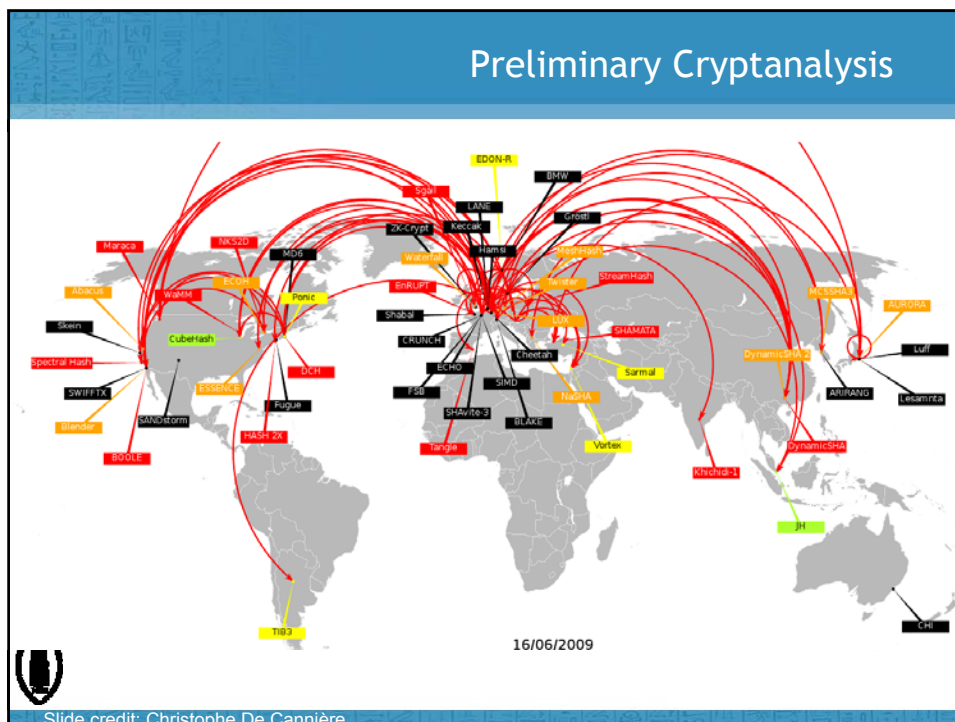
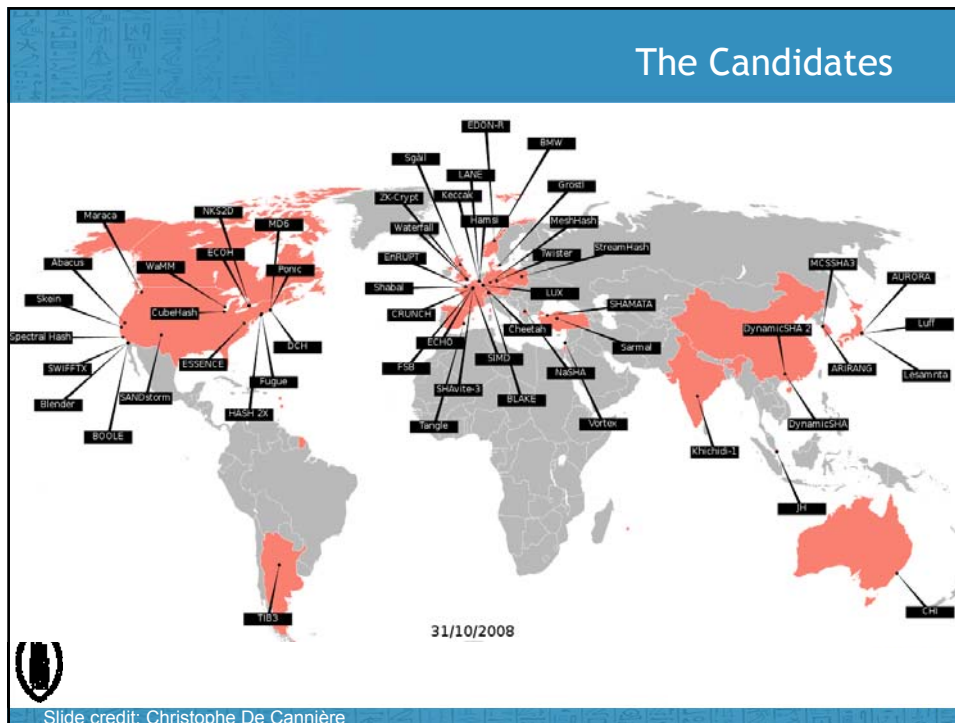
SHA-3 (bits and bytes)

71

NIST AHS competition (SHA-3)

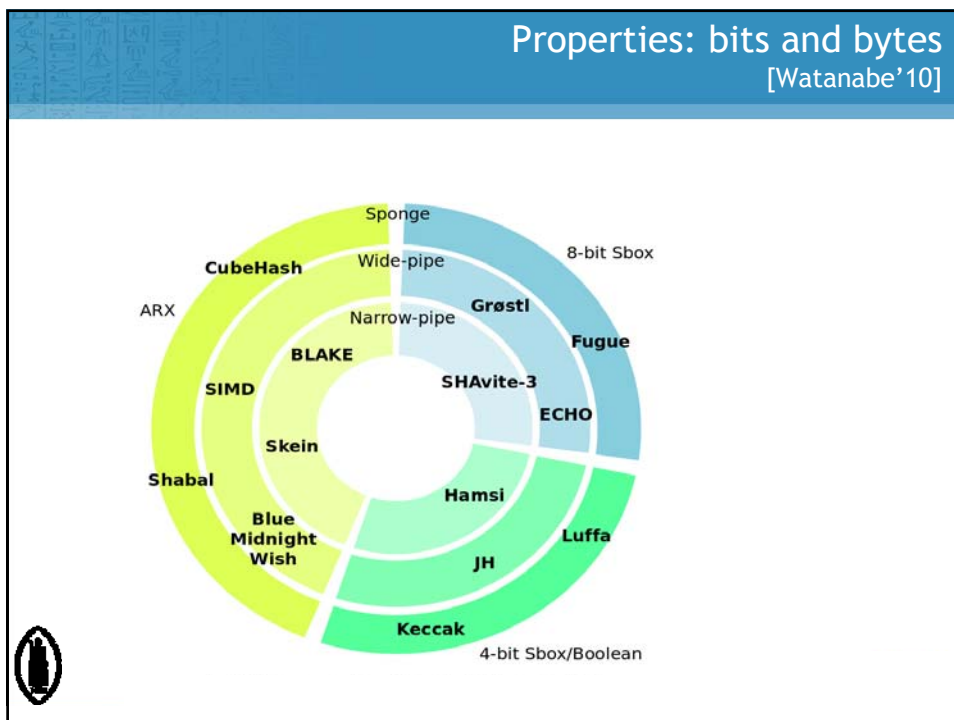
- SHA-3 must support 224, 256, 384, and 512-bit message digests, and must support a maximum message length of at least 2^{64} bits





Compression function/iteration

	Block cipher	Permutation	MD/HAIFA
Blake	PGV variant		HAIFA
BMW	PGV variant		EMD
Cubehash		Sponge	
ECHO			HAIFA
Fugue		Sponge	
Grøstl		2-permutation	MD
Hamsi		Truncated/Sponge	
JH			JH-specific
Keccak		Sponge	
Luffa		Sponge-like	
Shabal		Sponge	
Shavite-3	Davies-Meyer		HAIFA
SIMD	PGV variant		MD
Skein	Davies-Meyer		MD/Tree



Security Reductions [Mennink-Andreeva-Preneel'10]

	type	sf	pf	Adv_f^{pre}	Adv_f^{sec}	Adv_f^{col}	Adv_H^{pre}	Adv_H^{sec}	Adv_H^{col}	Adv_H^{col}	Adv_H^{pro}
BLAKE	HAIFA	✓	✓								
BMW	chop-(MD+FT)	✓	✗								
CubeHash	chop-(MD+FT)	✗	✗								
ECHO	chop-HAIFA	✓	✓								
Fugue	chop-(MD+FT)	✓	✗								
Grstl	chop-(MD+FT)	✓	✗								
Hamsi	MD+FT	✓	✗								
JH	chop-MD	✓	✗								
Keccak	chop-MD	✗	✗								
Luffa	chop-(MD+FT)	✗	✗								
Shabal	chop-MD	✓	✓								
SHAvite-3	HAIFA	✓	✓								
SIMD	chop-(MD+FT)	✓	✗								
Skein	MD	✓	✓								

Table 1. A schematic summary of all results. The *first* column describes the hash function construction, and the *second* and *third* column show which hash functions have a suffix-free (sf) or prefix-free (pf) padding. A *green* box indicates the existence of a non-trivial upper bound, a *red* box means that an efficient adversary is known for the security notion, and a *yellow* box indicates that no result is known, but recent literature gives some confidence in the existence of a non-trivial bound.

- ### Issues arisen during Round 1
- round 1 was very short; several functions received no outside analysis
 - 7 out of 14 designs were tweaked at the beginning of round 2
 - security:
 - controversy around pseudo-collision attacks and memory requirements
 - proofs have not helped much to survive
 - performance: roughly as fast or faster than SHA-2
 - tunable security/performance tradeoff: nominal parameters?
 - large memory (> 100 bytes) may be a problem for small devices
 - can we exploit 64 or 128 cores? Intel AES instruction?

Rebound Attack

a new variant of differential cryptanalysis

E_{bw} E_{in} E_{fw}

outbound *inbound* *outbound*

developed during the design of Grøstl [MRST09]
 already successfully applied to Whirlpool and the SHA-3 candidates Twister, Lane, and reduced versions of others

Slide credit: Christian Rechberger

Security: SHA-3 Zoo

http://ehash.iaik.tugraz.at/wiki/The_SHA-3_Zoo

The SHA-3 Zoo (work in progress) is a collection of cryptographic hash functions (in alphabetical order) submitted to the [SHA-3 contest](#) (see also [here](#)). It aims to provide an overview of design and cryptanalysis of all submissions. A list of all SHA-3 submitters is also available. For a software performance related overview, see [eBASH](#). At a separate page, we also collect [hardware implementation results](#) of the candidates. Another categorization of the SHA-3 submissions can be found [here](#).

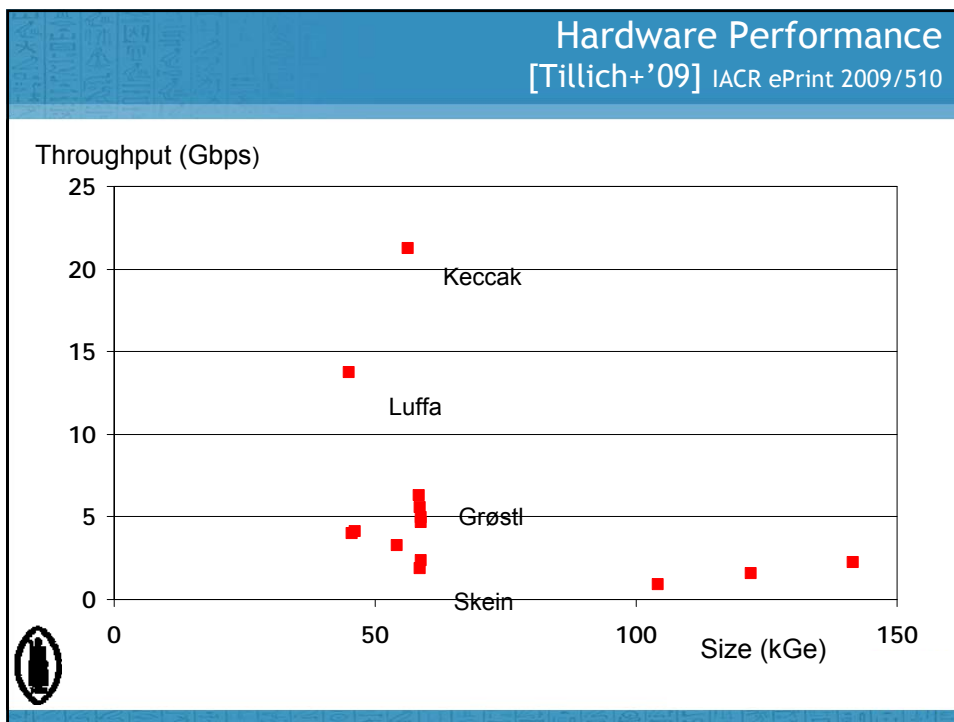
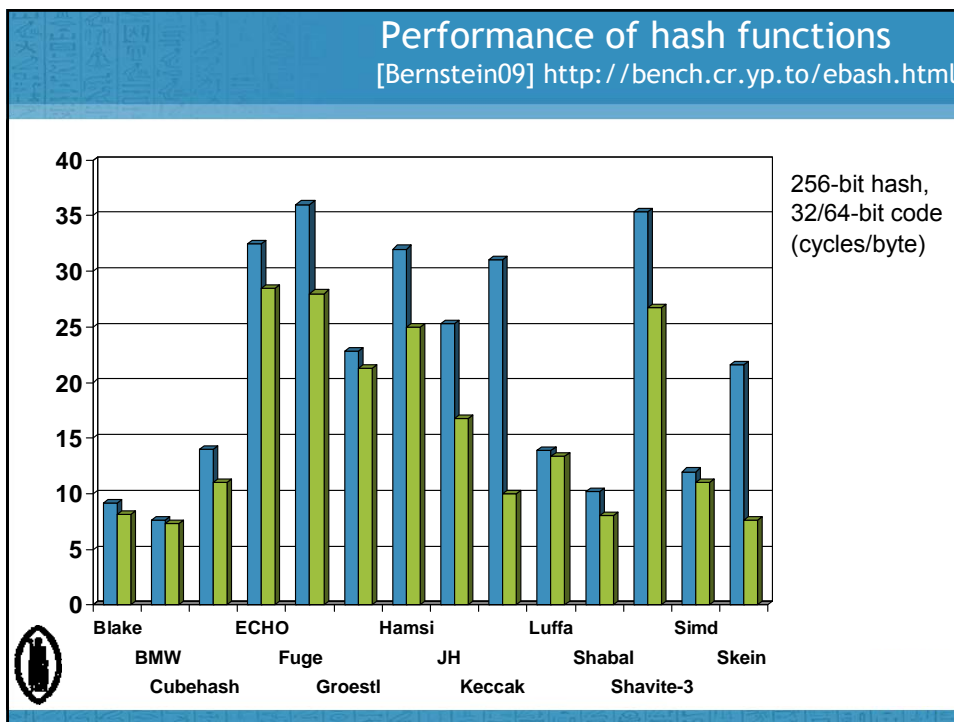
The idea of the SHA-3 Zoo is to give a good overview of cryptanalytic results. We try to avoid additional judgement whether a submission is broken. The answer to this question is left to NIST. However, we categorize the cryptanalytic results by their impact from very theoretic to practical attacks. A detailed description is given in [Cryptanalysis Categories](#). At this time, 56 out of 64 submissions to the SHA-3 competition are publicly known and available. 51 submissions have advanced to [Round 1](#) and 14 submissions have made it into [Round 2](#).

The following table should give a first impression on the remaining SHA-3 candidates. It shows only the best known attack, more detailed results are collected at the individual hash function pages. A description of the main table is given [here](#).

Recent updates of the SHA-3 Zoo

New Round 2 tweaks for all candidates

Hash Name	Principal Submitter	Best Attack on Main NIST Requirements	Best Attack on other Hash Requirements
BLAKE	Jean-Philippe Aumasson		
Blue Midnight Wish	Svein Johan Knapstog		
CubeHash	Daniel J. Bernstein	preimage	
ECHO	Henri Gilbert		
Fugue	Charanjit S. Jutla		
Grest	Lars R. Knudsen		
Hamsi	Özgül Küçük		



SHA-4?

- an open competition such as SHA-3 is bound to result in new insights between 2009-2012
- only few of these can be incorporated using “tweaks”
- the winner selected in 2012 will reflect the state of the art in October 2008
- nevertheless, it is unlikely that we will have a SHA-4 competition before 2030



Hash functions: conclusions

- SHA-1 would have needed 128-160 steps instead of 80
- 2004-2009 attacks: cryptographic meltdown but not dramatic for most applications
 - clear warning: upgrade asap
- theory is developing for more robust iteration modes and extra features; still early for building blocks
- nirwana: efficient hash functions with security reduction

